We are interested in <u>topologies</u> in which it is possible to route a packet in a fixed number of hops until it arrives at its destination. Given a constant \$d\$, this paper introduces a new self-stabilizing protocol for the \$q\$-<u>ary</u> \$d\$-dimensional <u>de Bruijn</u> graph (\$q = \sqrt[d]{n}\$) that is able to route any search request in at most \$d\$ hops w.h.p., while significantly lowering the node degree compared to the clique: We require nodes to have a degree of \$\mathcal O(\sqrt[d]{n})\$, which is asymptotically optimal for a fixed diameter \$d\$. The protocol keeps the expected amount of edge <u>redirections</u> per node in \$\mathcal O(\sqrt[d]{n})\$, when the number of nodes in the system increases by factor \$2^d\$. The number of messages that are periodically sent out by nodes is constant.